

# Experimental Economics

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- **Loss Aversion**

- Loss aversion and decision-making under risk
  - Looking inside the brain
  - Looking at close relatives
- Endowment effect (loss aversion when not under risk)
  - Experience
- Loss aversion in risky and riskless situations
- Myopic loss aversion

- **Probability Weighting**

- A non-parametric estimate of probability weighting functions

# Loss aversion

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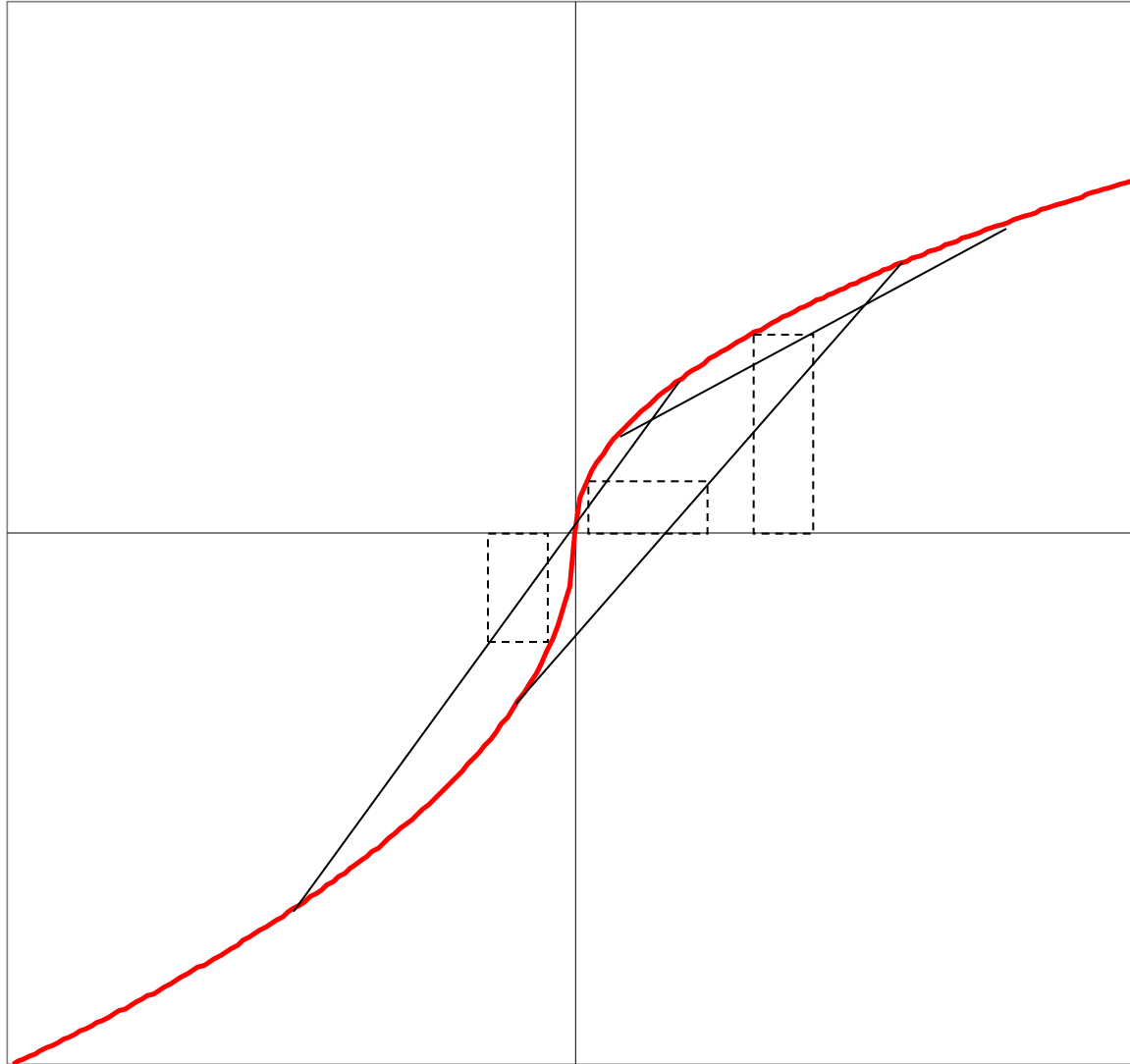
- **Loss aversion**

- ‘The response to losses is consistently much more intense than the response to corresponding gains’ Kahneman 2003
- Two persons get their monthly report from a broker:
  - A is told that her wealth went from \$900,000 to \$750,000.
  - B is told that her wealth went from \$200,000 to \$250,000.
  - Who has more reason to be satisfied with her financial situation?
  - Who is happier today?

	<b>Lottery Win (50%)</b>	<b>Lottery Lose (50%)</b>	<b>Safe Option</b>
<b>Choice A</b>	<b>\$50</b>	<b>\$10</b>	<b>\$25</b>
<b>Choice B</b>	<b>\$30</b>	<b>-\$10</b>	<b>\$5</b>

# Value function

- **Prospect theory** Kahneman and Tversky, 1979
- **Descriptive model of risky choice in which the carriers of utility are gains and losses relative to a neutral reference point.**
  - Risk aversion for gains
  - Steeper slope for losses than for gains ( $\lambda$ )
  - Risk loving for losses



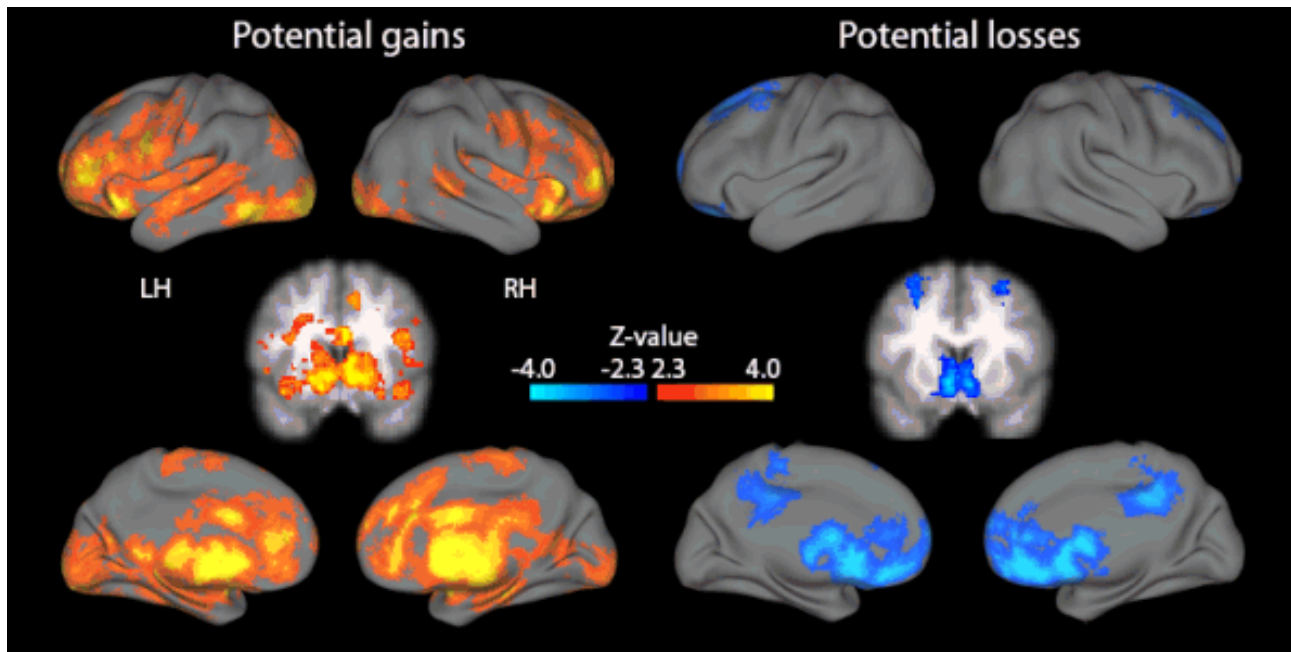
# Losses inside the brain

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- **Losses hurt** Breiter et al. 2001
  - Subjects are given a gamble (no choice). Scanned (fMRI) before and after the gamble is resolved.
    - 12 subjects
    - 2 treatments: experiencing losses and anticipating losses
  - Experiencing (anticipating) losses produce activation in the anterior insula.
    - this region is associated with negative emotions (fear)

# Losses inside the brain

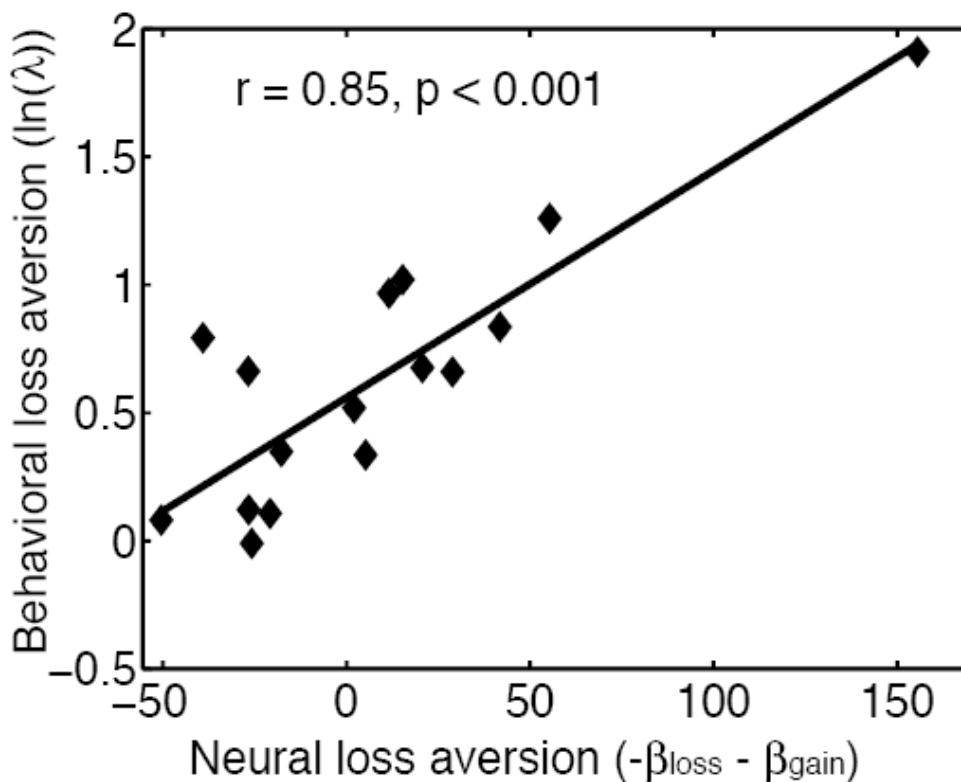
- **Losses are less exciting** Tom et al. 2007
  - Subjects accept/reject gambles. Scanned (fMRI) while deciding.
    - 16 subjects
    - 2 treatments: increasing losses and increasing gains
  - Increasing losses produce decreasing activation in the ventral striatum (and in prefrontal cortices).
    - this region is associated with the assignment of value



# Losses inside the brain

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- **Neural loss aversion** Tom et al. 2007
  - The decrease in activation due to losses is larger than the increase in activation due to equivalent gains
  - Correlated with behavioral loss aversion



# Close relatives

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- **Capuchin monkeys** Chen et al. 2006
  - Strong preference for a gamble with gains over an equivalent gamble with a loss

- **1st treatment (2 choices)**

13% ▪ 1 apple

87% ▪ 2 apples – 0.5 × 1 apple

- **2nd treatment (2 choices)**

29% ▪ 2 apples – 0.5 × 1 apple

71% ▪ 1 apple + 0.5 × 1 apple



# Endowment effect

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- **Endowment effect**
  - Willingness to pay is greater than willingness to accept
- **Market for coffee mugs** Kahneman et al. 1990
  - 44 students
  - 2 treatments:
    - trading tokens (3 rounds) for training
    - trading mugs (4 rounds)
  - subjects randomly assigned to the role of buyer or seller

<b>Tokens</b>	<b>Expected trades</b>	<b>Actual trades</b>	<b>Expected price</b>	<b>Actual price</b>
<b>Round 1</b>	<b>11</b>	<b>12</b>	<b>\$3.75</b>	<b>\$3.75</b>
<b>Round 2</b>	<b>11</b>	<b>11</b>	<b>\$4.75</b>	<b>\$4.75</b>
<b>Round 3</b>	<b>11</b>	<b>10</b>	<b>\$4.25</b>	<b>\$4.25</b>



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<b>Mugs</b>	<b>Expected trades</b>	<b>Actual trades</b>	<b>Med. Asking price</b>	<b>Med. Selling price</b>
<b>Round 1</b>	<b>11</b>	<b>4</b>	<b>\$2.75</b>	<b>\$5.25</b>
<b>Round 2</b>	<b>11</b>	<b>1</b>	<b>\$2.25</b>	<b>\$5.25</b>
<b>Round 3</b>	<b>11</b>	<b>2</b>	<b>\$2.25</b>	<b>\$5.25</b>
<b>Round 4</b>	<b>11</b>	<b>2</b>	<b>\$2.25</b>	<b>\$5.25</b>

# Endowment effect

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- **Endowment effect in the field** List 2004
- **Trading candy for coffee mugs**
  - 253 (124 non-dealers, 129 dealers)
  - 4 treatments:
    - Endowed with candy (can trade for mug)
    - Endowed with mug (can trade for candy)
    - Endowed with neither (must choose mug or candy)
    - Endowed with both (must give up mug or candy)

<b>Endowment</b>	<b>Expected candy</b>	<b>Candy (non-dealers)</b>	<b>Candy (dealers)</b>
<b>Candy</b>	<b>50%</b>	<b>81%</b>	<b>47%</b>
<b>Mug</b>	<b>50%</b>	<b>23%</b>	<b>44%</b>
<b>None</b>	<b>50%</b>	<b>45%</b>	<b>51%</b>
<b>Both</b>	<b>50%</b>	<b>60%</b>	<b>44%</b>

# Endowment effect

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- **Endowment effect in the field** List 2004
  - Trading experience: non-dealers who trade often (top 10%) do not exhibit an endowment effect.
  - But ... Haigh and List (2005) finds that dealers exhibit more myopic loss aversion

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# Risky and riskless loss aversion

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- **Combining measures of loss aversion** Gächter et al. 2007
  - 660 Audi A4 owners
  - 2 treatments:
    - Between-subjects measure of loss aversion (control)
    - Within-subjects measure of loss aversion
  - Risky loss aversion:
    - if the coin turns up heads, then you lose € $x$ ; if the coin turns up tails, you win €6.
    - € $x$  varies from 2 to 7

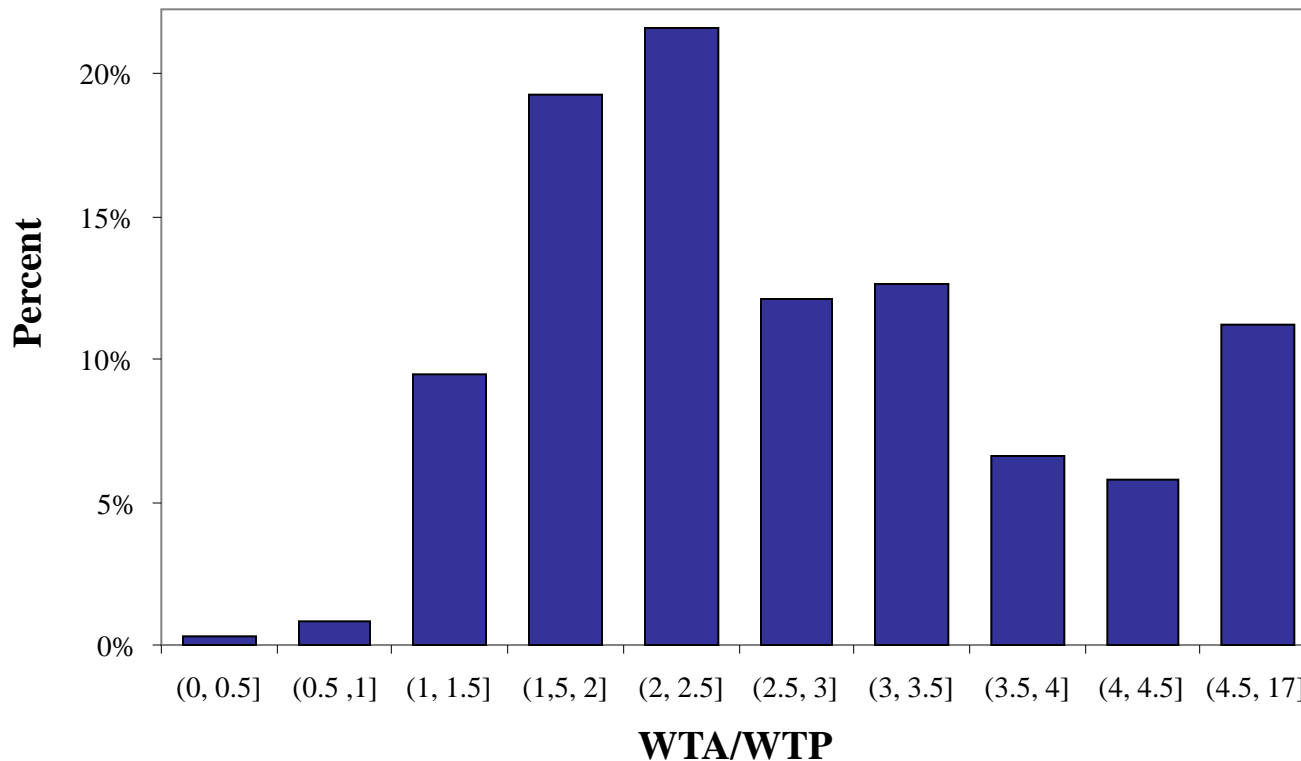
# Risky and riskless loss aversion

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  - 660 Audi A4 owners
  - 2 treatments:
    - Between-subjects measure of loss aversion (control)
    - Within-subjects measure of loss aversion
  - Riskless loss aversion:
    - Sell or buy a miniature Audi A4 model
      - If the price is € $x$ , I am ready to sell (buy): yes/no
      - € $x$  varies from 0 to 10
      - Becker, DeGroot and Marschak mechanism to determine outcome
    - Between-subjects: endowed with the car or not
    - Within-subjects: endowed with the car with  $p = 1/2$ , use strategy method

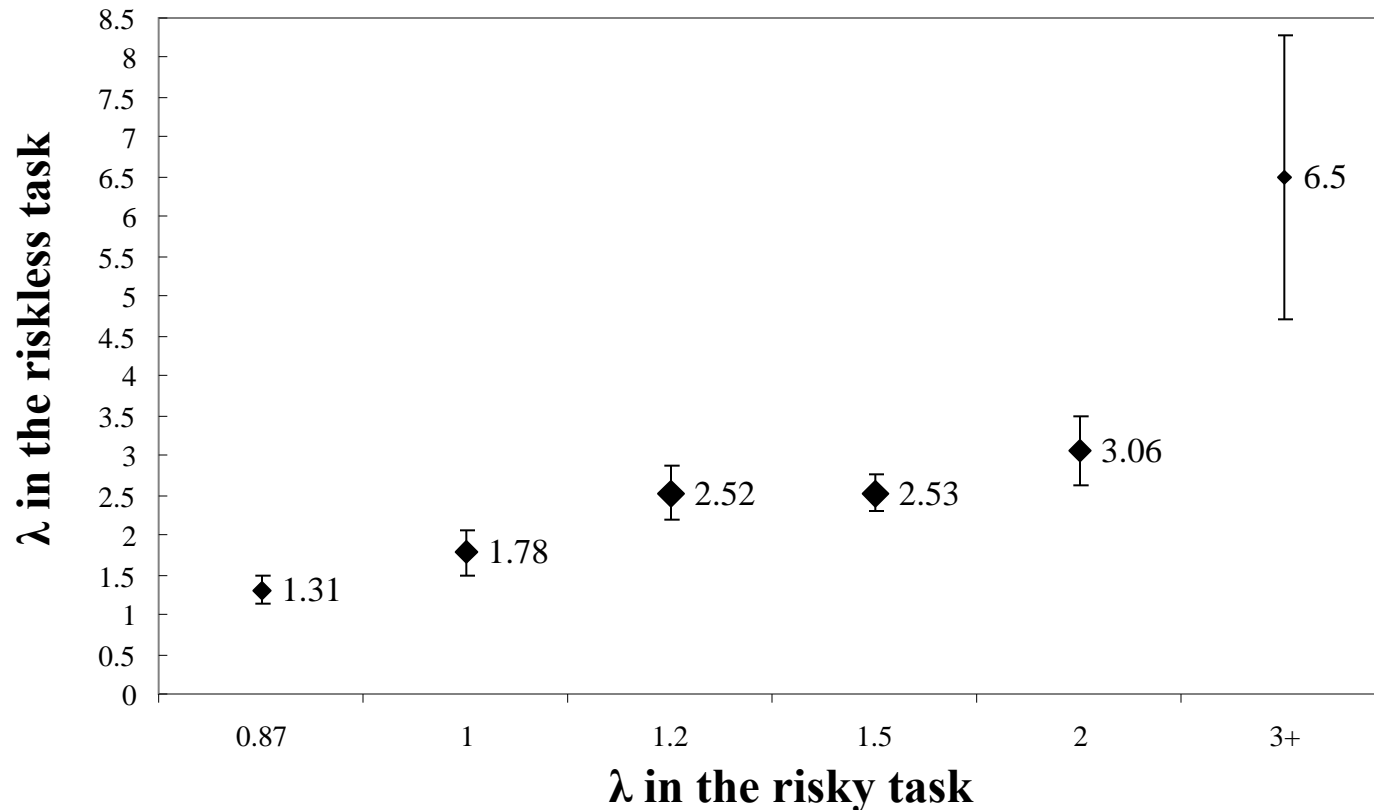
# Risky and riskless loss aversion

- **Combining measures of loss aversion** Gächter et al. 2006, 2007
  - No difference in elicited values due to the strategy method
- **Between: WTA = €6.03, WTP = €2.68    Within: WTA = €5.83, WTP = €2.96**
  - Distribution of individual loss aversion (riskless)



# Risky and riskless loss aversion

- **Combining measures of loss aversion** Gächter et al. 2007
  - The measures of loss aversion are significantly positively correlated



# Risky and riskless loss aversion

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- **Combining measures of loss aversion** Gächter et al. 2007
  - Risky  $\lambda$  is also correlated with other hypothetical  $\lambda$ 's elicited using different goods.
  - But ... the correlation between the hypothetical  $\lambda$ 's is not significant
    - Subjects hypothetical loss aversion was correlated to how 'important' the subject considered the good

	<b>Fuel</b>	<b>Comfort</b>	<b>Safety</b>	<b>Information</b>
<b><math>\lambda</math> Fuel Consumption</b>	<b>1</b>			
<b><math>\lambda</math> Comfort</b>	<b>0.05</b>	<b>1</b>		
<b><math>\lambda</math> Safety</b>	<b>-0.07</b>	<b>0.03</b>	<b>1</b>	
<b><math>\lambda</math> Information Systems</b>	<b>0.00</b>	<b>-0.05</b>	<b>-0.08</b>	<b>1</b>
<b><math>\lambda</math> Risky</b>	<b>0.34</b>	<b>0.14</b>	<b>0.35</b>	<b>0.11</b>



# Myopic loss aversion

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- **Myopic loss aversion**
  - Would you accept this gamble?
    - \$20 with  $p = 0.50$ ,  $-\$10$  with  $p = 0.50$
  - How about this one?
    - \$40 with  $p = 0.25$ , \$10 with  $p = 0.50$ ,  $-\$20$  with  $p = 0.25$
  - And this one?
    - \$80 with  $p = 0.0625$ , \$50 with  $p = 0.25$ , \$20 with  $p = 0.375$ ,  $-\$10$  with  $p = 0.25$ ,  $-\$40$  with  $p = 0.0625$
- Loss aversion + short evaluation period
  - Explanation for the equity premium puzzle? Benartzi and Thaler 1995

# Myopic loss aversion

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- **Myopic loss aversion** Gneezy and Potters 1997
  - 84 students
  - 2 treatments (between-subjects):
    - High frequency of feedback
    - Low frequency of feedback
  - Subjects bet  $0 \leq x \leq 200$  cents on a lottery
    - Probability  $1/3$  win  $2.5x$
    - Probability  $2/3$  lose  $x$
    - Earnings equal 200 cents + lottery earnings
    - 12 rounds
    - High frequency of feedback
      - Draw one round at a time
    - Low frequency of feedback
      - Draw three rounds at once

# Myopic loss aversion

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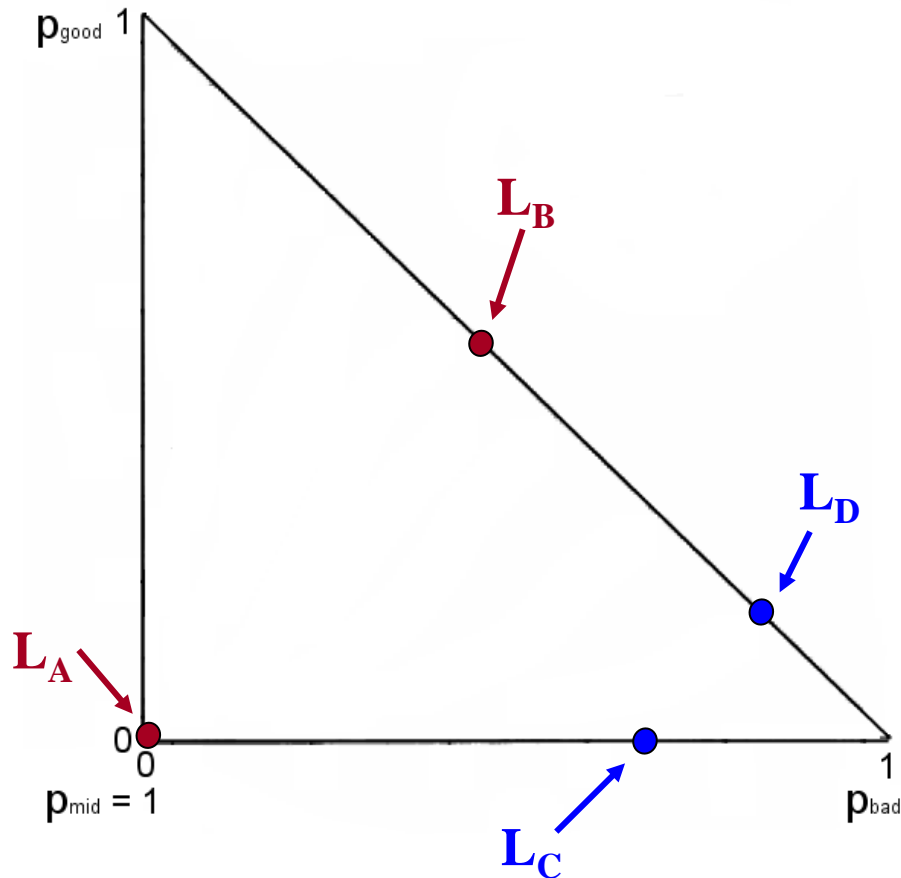
- **Myopic loss aversion** Gneezy and Potters 1997

Investment in lottery	High	Low
Rounds 1-3	52.0	66.7
Rounds 4-6	44.8	63.7
Rounds 7-9	54.7	71.9
Rounds 1-9	50.5	67.4
Rounds 10-12	39%	48.9%

- **Myopic loss aversion in the market** Gneezy et al. 2003
  - Trade asset that pays 200 cents with  $p = 1/3$  and 0 with  $p = 2/3$
  - Average price:
    - High frequency of feedback: 49.3 cents
    - Low frequency of feedback: 58.4 cents
  - Low evaluation periods → more risk taking

# Probability Weighting

## The **Marshak-Machina** probability triangle



### ▪ The common ratio effect

#### ▪ Three outcomes

- Bad = \$0
- Middle = \$300
- Good = \$400

#### ▪ Choice 1

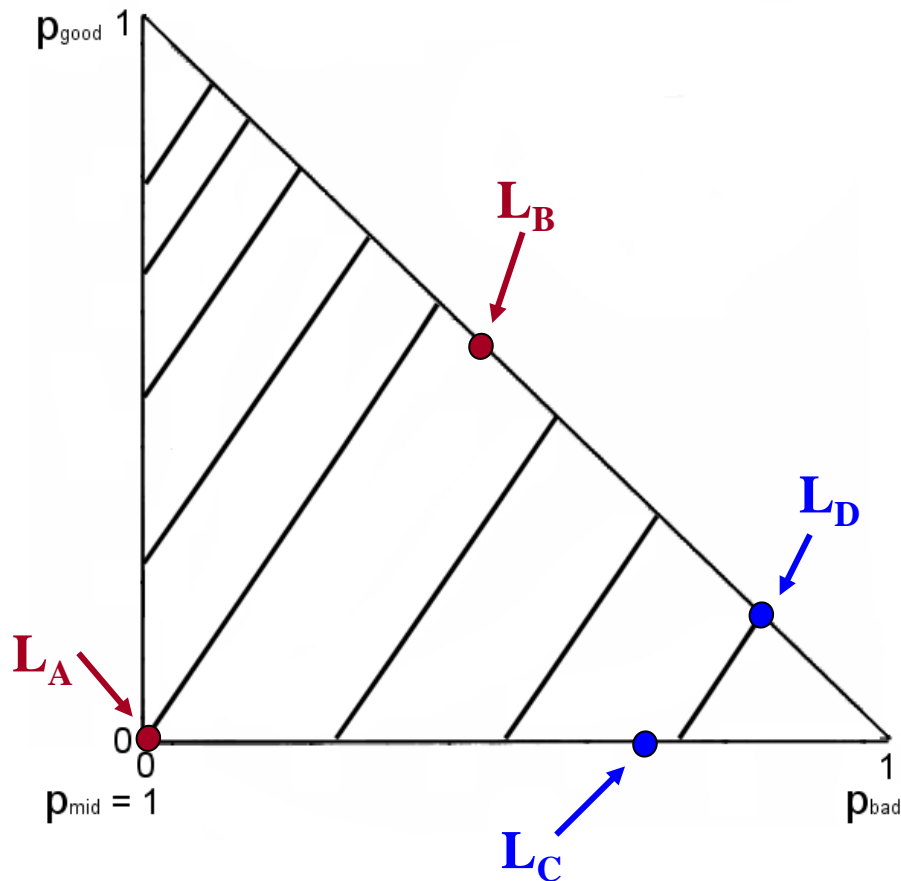
- $L_A$ : \$300 for sure
- $L_B$ :  $p = 0.20$  of \$0,  $p = 0.80$  of \$400

#### ▪ Choice 2

- $L_C$ :  $p = 0.75$  of \$0,  $p = 0.25$  of \$300
- $L_D$ :  $p = 0.80$  of \$0,  $p = 0.20$  of \$400

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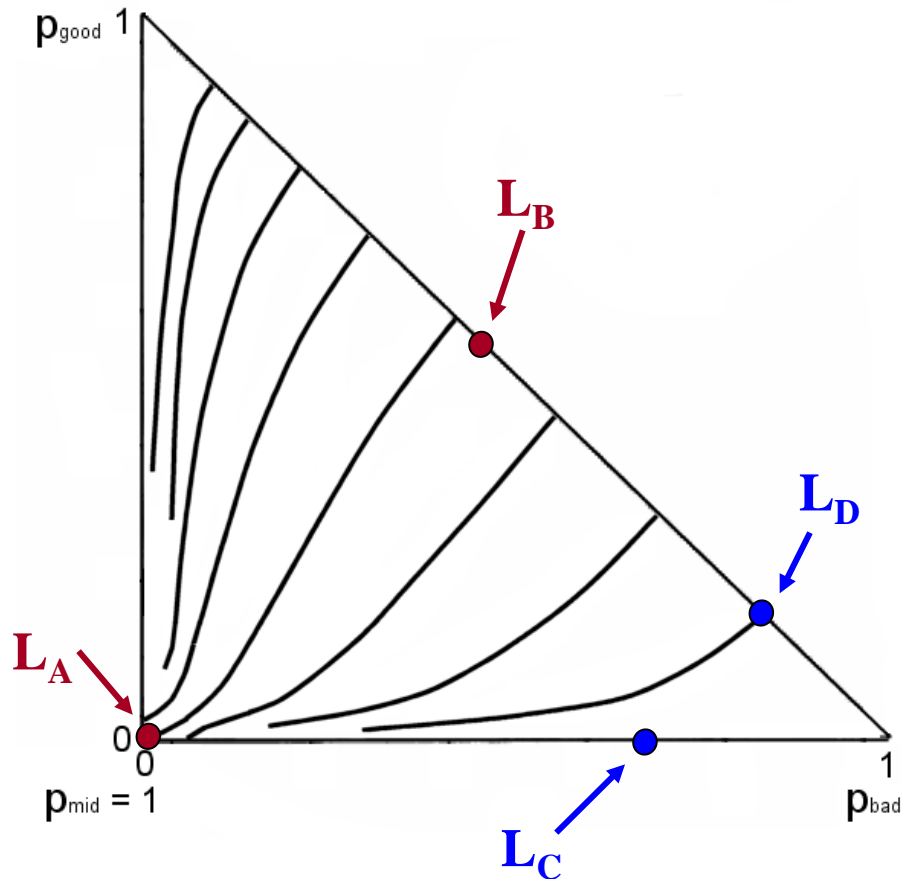
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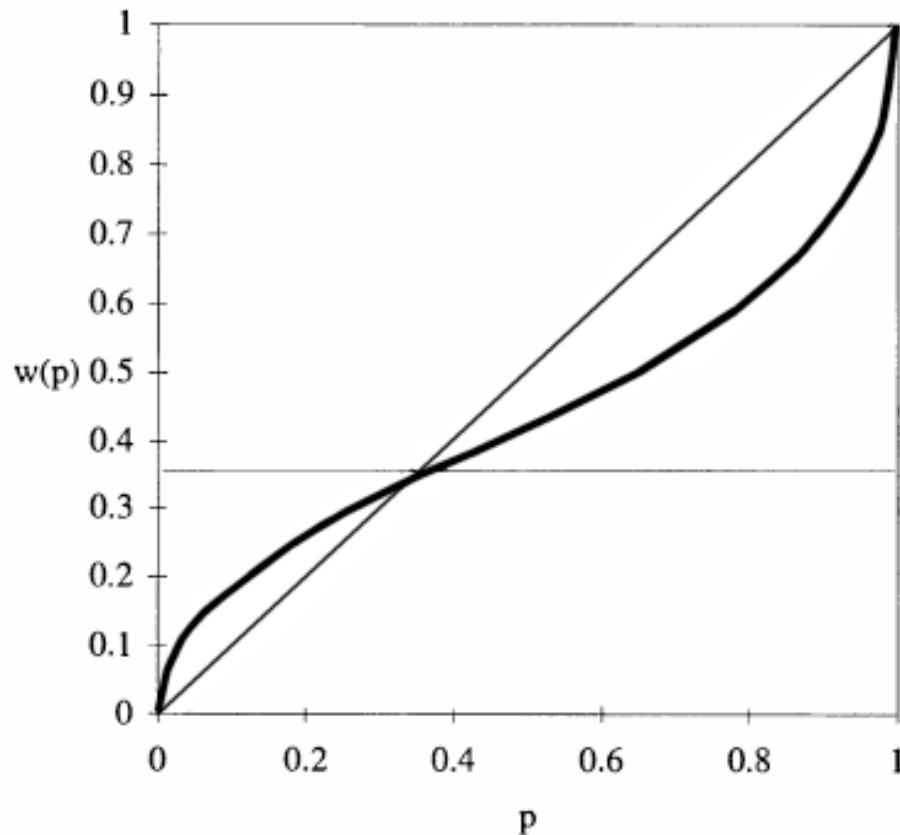
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Explained by probability weighting

# Probability Weighting

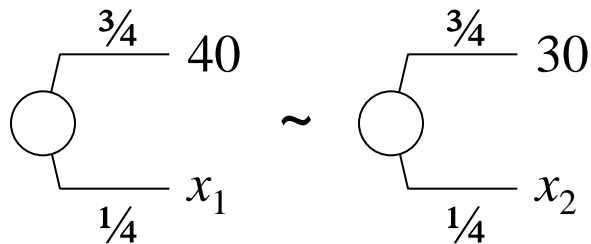
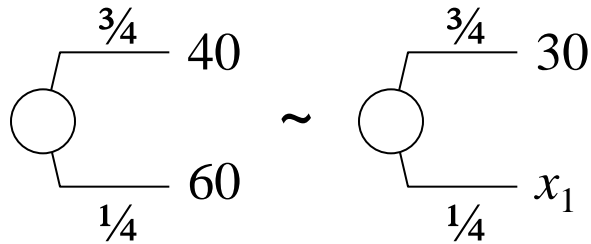
S-shaped probability weighting function



- **Eliciting Probability Weighting Functions**
- **Usually done with parametric estimations**
  - Assumes a functional form
  - Joint estimation of utility function and probability weights
- **An inverted S-shape is usually found**
  - Underestimation of high probabilities (insure TV)
  - Overestimation of low probabilities (buy lotto)

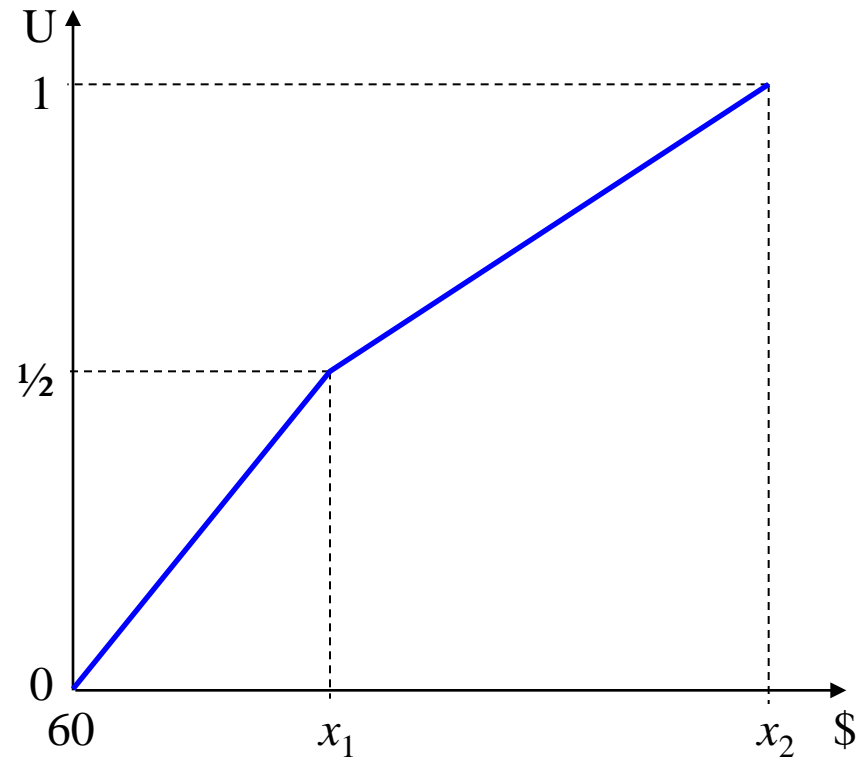
# Probability Weighting

- **Eliciting Probability Weighting Functions** van de Kuilen et al. 2006
  - Step 1: Elicit utility function



Note that

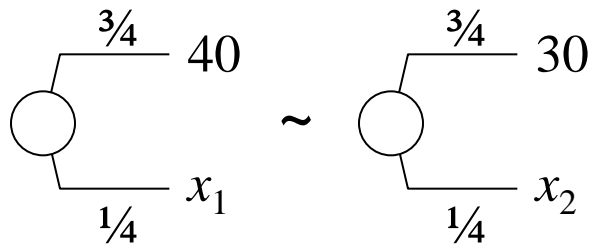
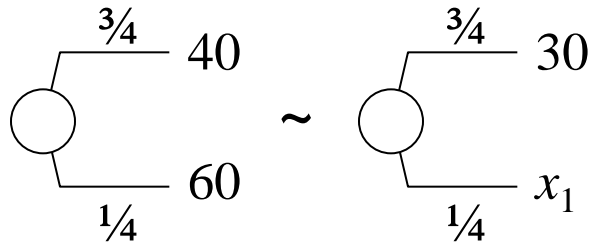
$$U(x_2) - U(x_1) = U(60) - U(x_1)$$





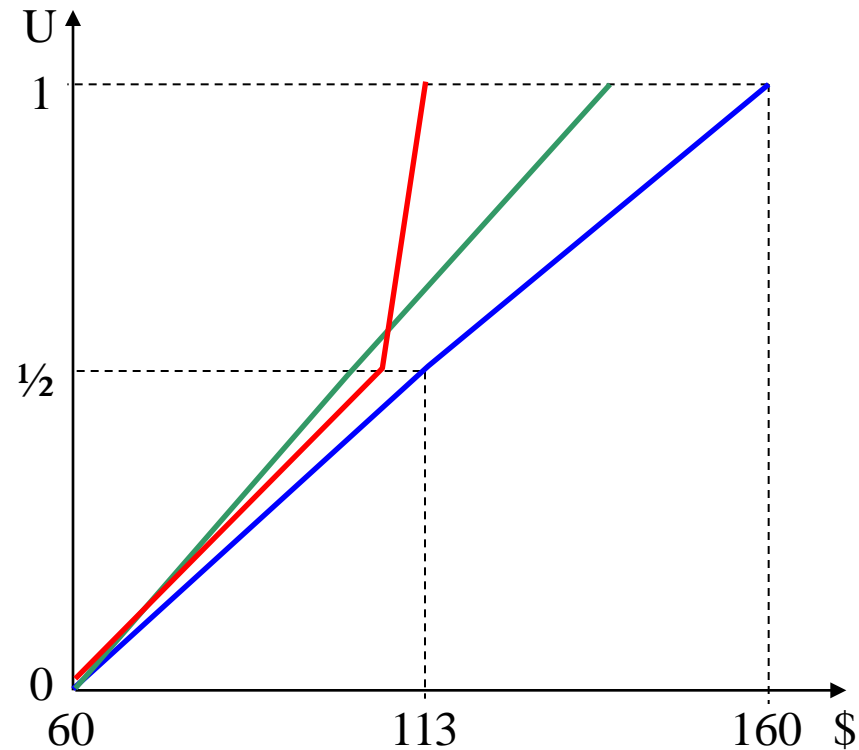
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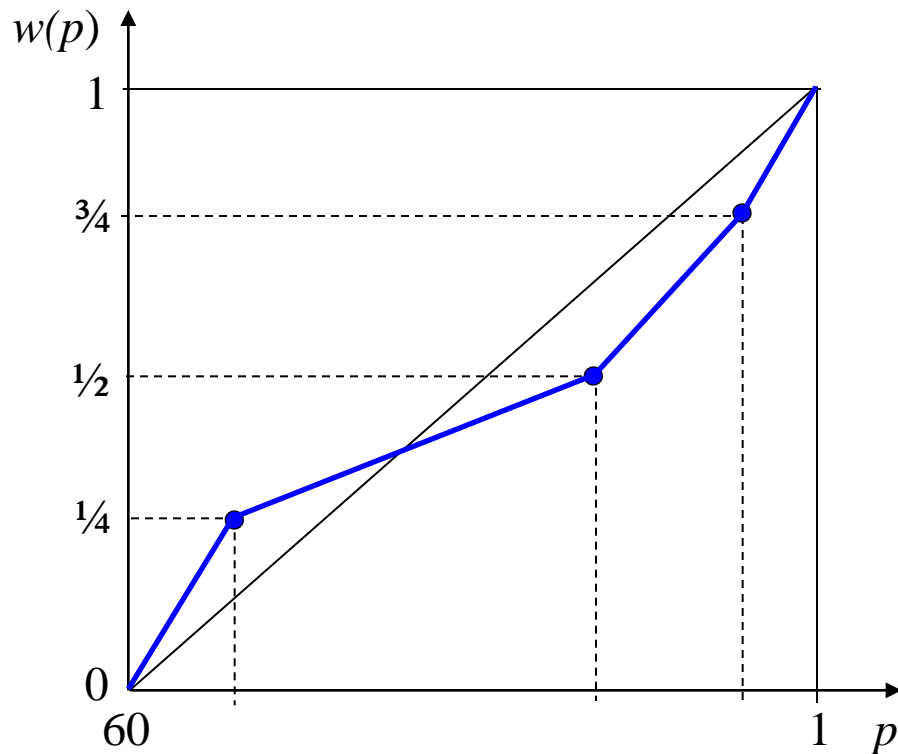
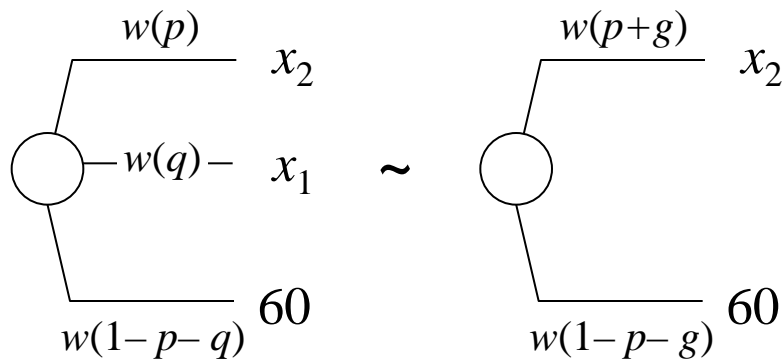
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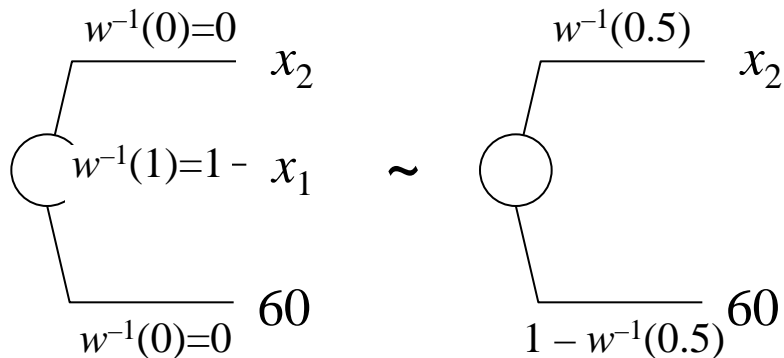


# Probability Weighting

- **Eliciting Probability Weighting Functions** van de Kuilen et al. 2006
  - Step 2: Elicit probability weighting function

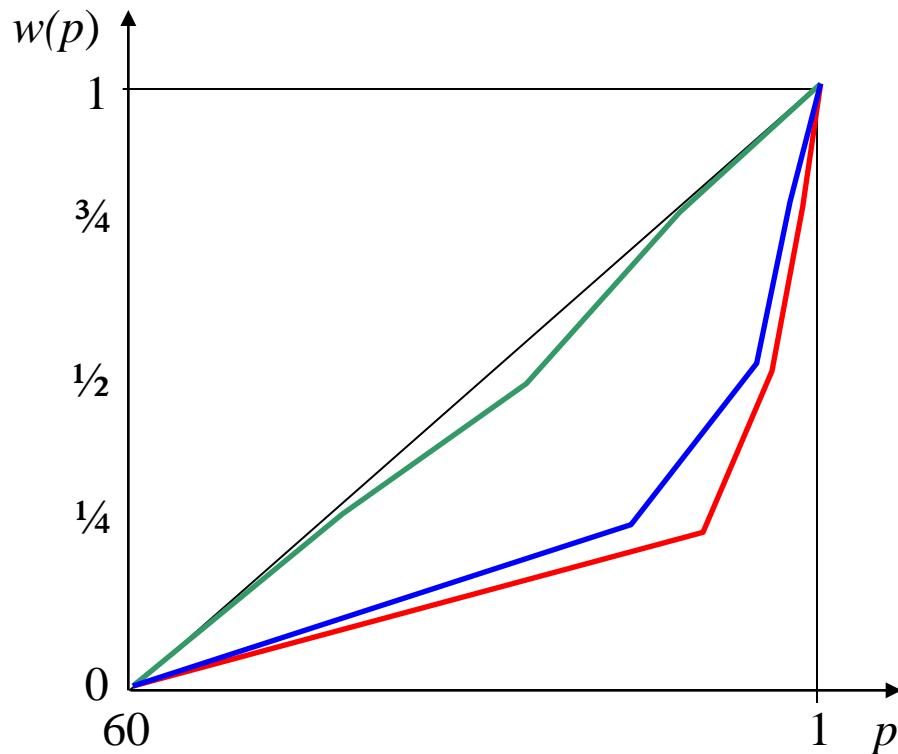
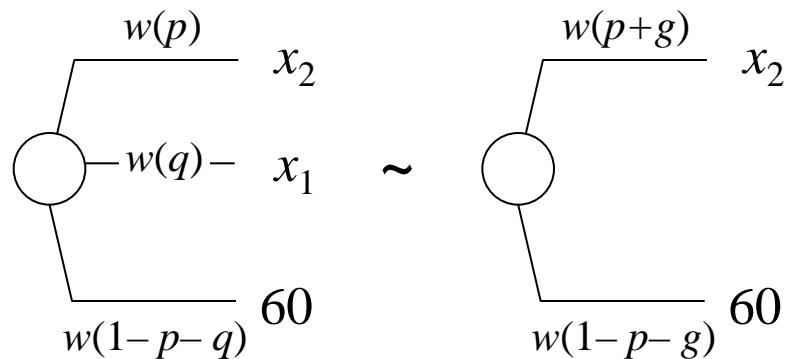


E.g., to find  $w^{-1}(0.5)$ :  $p = 0$  and  $q = 1$

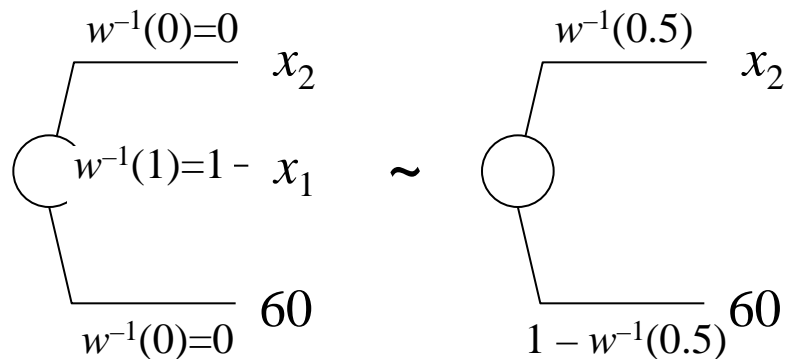


# Probability Weighting

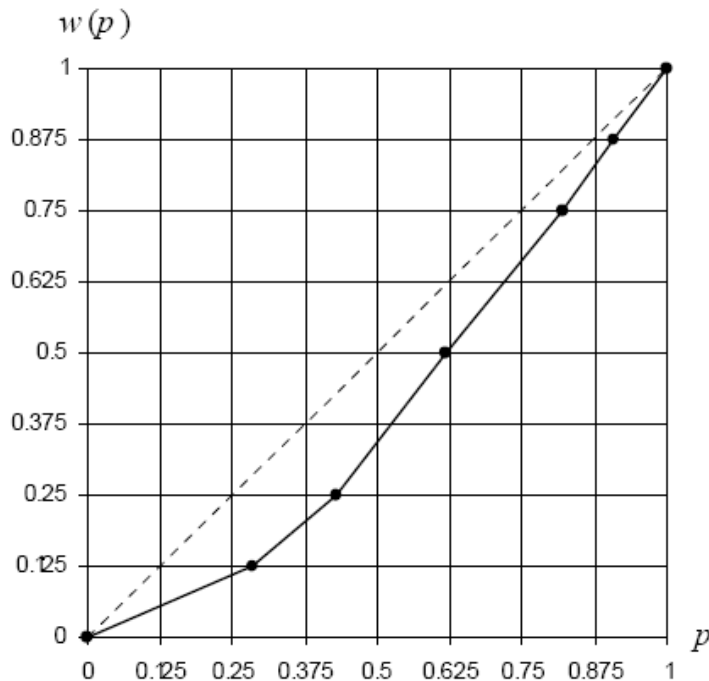
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E.g., to find  $w^{-1}(0.5)$ :  $p = 0$  and  $q = 1$



# Probability Weighting



$w^{-1}(p)$	Mean	Median	St Dev
0.125	0.33	0.285	0.228
0.250	0.441	0.430	0.223
0.500	0.608	0.620	0.193
0.750	0.793	0.820	0.150
0.875	0.872	0.910	0.132

- **Results** van de Kuilen et al. 2006
  - Mostly convex functions
  - Usual parametric tests do not perform that well

